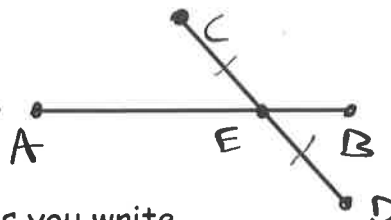


Review of Segments

Draw a diagram to represent the following.

\overline{AB} intersects \overline{CD} at its midpoint E.



Question 1: You must justify any equations you write.

If $CE = 3x+1$ and $DE = 5x-7$, find the value of x and CD .

$$\boxed{1} \quad \overline{CE} \cong \overline{DE} \text{ [Def. of midpoint]}$$

$$CE = DE \text{ [Def. of } \cong \text{ seg.]}$$

$$3x+1 = 5x-7 \quad \boxed{2} \quad \overline{CE} + \overline{DE} = \overline{CD} \text{ [Seg. Add. Post.]}$$

$$2x = 8$$

$$\boxed{x=4}$$

$$3x+1 + 5x-7 = CD$$

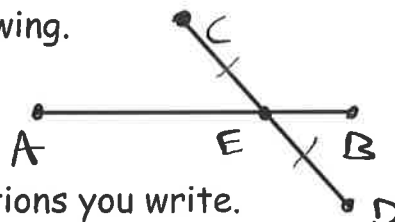
$$CD = 8x-6$$

$$CD = 32-6$$

$$\boxed{CD = 26 \text{ units}}$$

Draw a diagram to represent the following.

\overline{AB} intersects \overline{CD} at its midpoint E.



Question 2: You must justify any equations you write.

If $AE = 2y+8$, $AB = 6y+16$, and $EB = y^2 - 4$,

find the value of y and determine if E is the midpoint of \overline{AB} .

$$\boxed{1} \quad \overline{AE} + \overline{EB} = \overline{AB} \text{ [Seg. Add. Post.]}$$

$$2y+8 + y^2-4 = 6y+16$$

$$y^2-4y-12=0$$

$$(y-6)(y+2)=0$$

$$y = -2, 6$$

$$\boxed{y=6}$$

$$\boxed{2} \quad y = -2$$

$$AE = 4$$

$$EB = 0$$

Not Possible

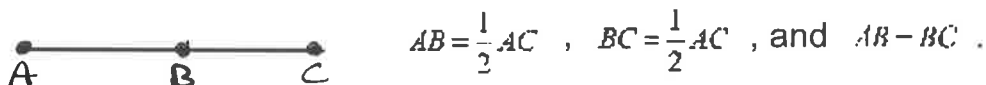
$$y = 6$$

$$AE = 20$$

$$EB = 32$$

E is not the midpoint of \overline{AB} .

The Midpoint Theorem If B is the midpoint of \overline{AC} then

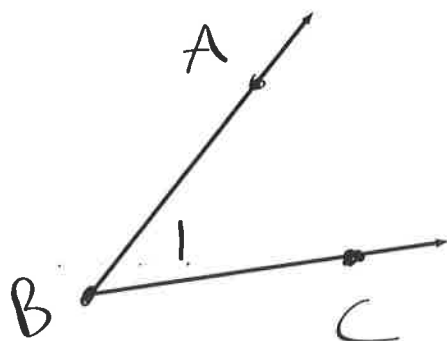


Given: B is the midpoint of \overline{AC}

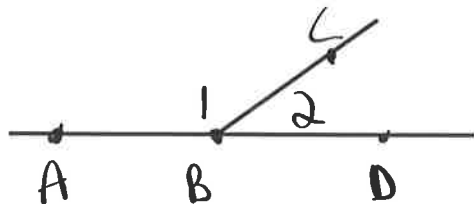
Prove: $AB = \frac{1}{2}AC$, $BC = \frac{1}{2}AC$, $AB = BC$

Statements	Reasons
1. B is the midpt of \overline{AC}	Given
2. $\overline{AB} \cong \overline{BC}$	Def. of midpt.
3. $AB = BC$	Def. of \cong seg.
4. $AB + BC = AC$	Seg. Add. Post.
5. $AB + AB = AC$	Substitution Prop. of = (3 \rightarrow 4)
6. $2AB = AC$	Distributive Prop.
7. $AB = \frac{1}{2}AC$	Division Prop. of =
8. $BC = \frac{1}{2}AC$	Subst. of = (3 \rightarrow 7)

Naming Angles:



1 point
 $\angle B$ {vertex}
 3 points
 $\angle ABC$ {middle is the vertex}
 or
 $\angle CBA$
 $\angle 1$ #

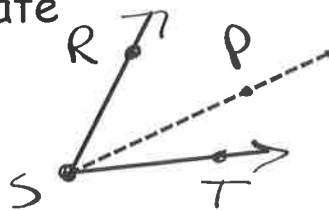


$\angle BX$ (cannot use 1 point here.)
 $\angle ABC, \angle 1$
 $\angle CBD, \angle 2$

Angle Addition Postulate

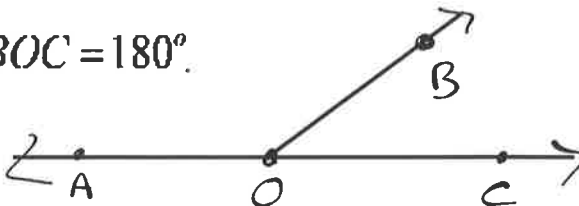
(1) If P is in the interior of $\angle RST$,

then $m\angle RSP + m\angle PST = m\angle RST$



(2) If $\angle AOC$ is a straight angle and B is any point not on \overline{AC} ,

then $m\angle AOB + m\angle BOC = 180^\circ$.



This part of the Angle Addition Postulate is sometimes expressed as the Linear Pair Postulate.

If two angles form a linear pair, the angles are supplementary.

Assignment #9

Read and Take Notes on p. 17-19 and 23.

Complete p. 21-22 WE #1-18, 29-33 odd

Make the Chapter 1 Note cards (16)